

Listing 1. Example of code that fit the AB curve to the data of one subject

a- The data; in the first columns are the lags, in the second, the performance $T_2 | T_1$

```
data = {0.82, 0.54, 0.76, 0.72, 0.83, 0.82, 0.86, 0.90};
```

b- Defining the AB function as a function of lag x

$$p[x_, \{\lambda_, \beta_, \gamma_, \delta_\}] := \delta \left(1 - e^{-(\log[x-1+\lambda \exp[\beta]]-\beta)^2}\right) + \gamma$$

c- Defining the log likelihood of the data give a parameter set θ

$$\text{LL}[\text{data}__, \theta__] := \sum_{i=1}^{\text{Length}[\text{data}]} (\text{data}[i] \log[p[i, \theta]] + (1 - \text{data}[i]) \log[1 - p[i, \theta]])$$

d- Heuristic value for γ and δ

```
lo = Min[data];
hi = Max[data] - lo;
```

e-Finding the best fit by Maximizing LL

```
NMaximize[{(*objective function*) LL[data, {\lambda, \beta, \gamma, \delta}], (*constraints *) 0 \leq \gamma \leq 1 \&& 0 \leq \delta \leq 1 \&& 0 \leq \gamma + \delta \leq 1 \&& 0 \leq \lambda \leq 1 \&& \beta > -0.3}, {{\lambda, 0.1, 0.9}, {\beta, 0, 1}, {\gamma, lo - 0.01, lo + 0.01}, {\delta, hi - 0.01, hi + 0.01}}]
```

{-3.99412, {\beta → 0.0858893, γ → 0.551678, δ → 0.323694, λ → 0.269369}}